

Welcome to CHEM 1101

Lecture Times: Tuesday and Thursday 9 to 9:50 a.m.

Instructor: Dr. Muhannad Amer

Office Location: 44 staff Bldng

Required Materials

- *Text: Chemistry, 7th ed., Zumdahl*

Please see course web page in blackboard to access worksheets that will be used in the Discussion Sections.

Quiz scores

On topics from Lecture and Discussion that week

Each quiz is worth 15 points –
keep 10 highest
Total quiz score: 150 pts

On-line Homework

13 Homework assignments on

Please check due dates in the on-line *Syllabus*

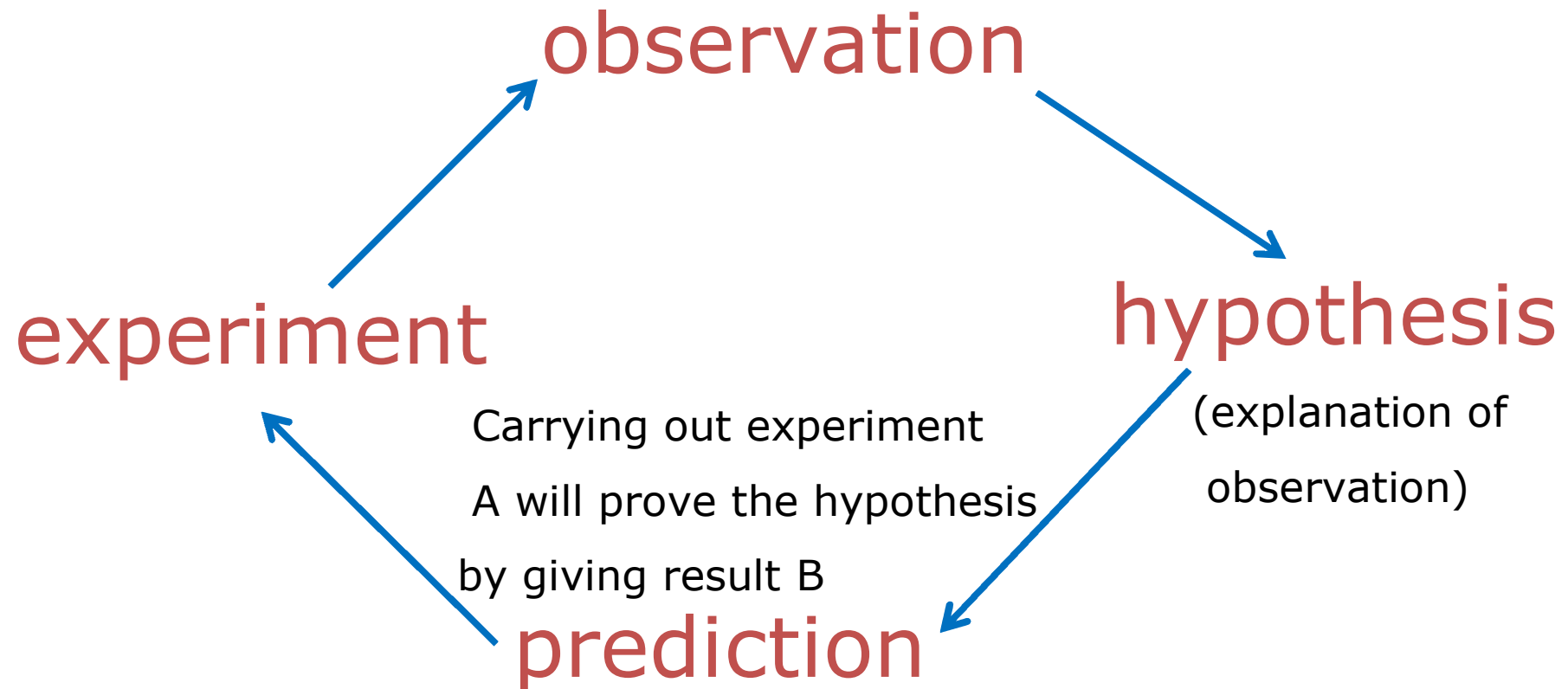
Credit is rewarded for all problems **completed by
deadline**

- **Beyond the chemistry theory of this class taking this class will enable you to:**

- Apply knowledge to solve new problems.
- Analyze information you have gathered.
- Work with and delegate responsibility to others.
- Have confidence in yourself and your work.
- Be organized in your thoughts and actions.
- Ask and answer questions.

Scientific Method

- The scientific method provides the method by which scientists solve problems.
- Chemists use this method to understand matter at the atomic or molecular level.



Scientific Notation

number $\times 10^n$ ← integer

↓
1-9

$$1.60 \times 10^0 = 1.60 \times 1 = 1.60$$

$$1.60 \times 10^1 = 16.0$$

$$1.60 \times 10^{-1} = 0.160$$

1.60 or 1.6 or 1.600 can be used

Are Units of Measurement that Important?

July 23rd, 1983: Gimli Glider, an Air Canada aircraft ran out of fuel

Needed for trip: 22,300 kg of fuel

Used to fill plane: 22,300 *pounds* of fuel (10,115 kg !)

Not enough fuel!



Important SI (International system) base units

Quantity	SI Base Unit
Length	meter (m)
Mass	kilogram (kg)
Time	second (s)
Temperature	Kelvin (K)
Amount	mole (mol)

$$\text{Volume} = \text{length}^3$$

$$1\text{L} = 1\text{ dm}^3 = 1000\text{ cm}^3 = 10^{-3}\text{ m}^3 = 1000\text{ ml}$$

$$1\text{cm}^3 = 1\text{ml}$$

Common Prefixes used to adjust the size of Base Units

Prefix	Meaning	Abbreviation	Exponential Notation
deci-	tenth of	d	10^{-1}
Mega-	million	M	10^6
kilo-	thousand	k	10^3
centi-	hundredths of	c	10^{-2}
milli-	thousandths of	m	10^{-3}
micro-	millionths of	μ	10^{-6}
nano-	billionths of	n	10^{-9}
pico-	trillionths of	p	10^{-12}

Uncertainty in Measurement

The number obtained in measurement is obtained using a measuring device that introduces some degree of uncertainty to this measurement and this must be indicated.



Uncertainty in the measurement lies in the last digit and is assumed to be +1 or -1

Recorded measurement of 0.0508 g

Actual mass is 0.0507 g – 0.0509 g

$$= 5.07 \times 10^{-2} - 5.09 \times 10^{-2} \text{ g}$$

Significant Figures

The recorded certain and the first uncertain digit or estimated number of a measurement are called its significant figures.

Rules for Significant Figures

1. Digits from 1-9 are always significant.

Example: 26981 has 5 significant figures

2. Zeros between two other significant digits are always significant. **Example: 1023 has 4 significant figures**

3. One or more additional zeros to the right of both the decimal place and another significant digit are significant.

Example: 5.00 and 500. both have 3 significant figures

Significant Figures

4. Zeros used solely for spacing the decimal point (placeholders) are not significant.

Example: 0.000231 has 3 significant figures

5. The **absence** of a decimal point means terminal zeros are **NOT** significant.

Example: 600 has 1 significant figure

6. **Exact numbers** have an infinite number of significant figures. They are obtained via counting, e.g. 1 dozen eggs, or by definition, e.g. the 2 in $2\pi r$. When used in calculations, exact numbers do **not** limit the number of significant figures.

Multiplying and Dividing Significant Figures

$$22.37 \times 3.10 \times 85.75 = 5946.50525$$

4 sig. figs 3 sig. figs 4 sig. figs

← Seen on calculator but **not** to be recorded as the answer

Least number of significant figures dictates the number of significant figures to be stated in the calculated answer

$$5946.50525 \quad \rightarrow \quad 5950$$

9 sig. figs 3 sig. figs

Rounding ≥ 5 round **up** < 5 round **down**

Calculated results are never more reliable than the measurements they are obtained from.

Adding and Subtracting Significant Figures

$$\begin{array}{ccccccc} 3.76 & + & 14.83 & + & 2.1 & = & 20.69 \\ \text{2 dec.} & & \text{2 dec.} & & \text{1 dec.} & & \\ \text{places} & & \text{places} & & \text{place} & & \end{array}$$

Seen on calculator but **not** to be recorded as the answer.

↓

$$\begin{array}{ccc} 20.69 & \text{Rounding to} & 20.7 \\ \text{2 dec.} & \text{one dec.} & \text{1 dec.} \\ \text{places} & \text{place} & \text{place} \end{array}$$

→

Least number of decimal places dictates the number of decimal places to be stated in the calculated answer.

Calculated results are never more reliable than the measurements they are obtained from.

Addition (subtraction) with Multiplication (Division)

$$\begin{array}{r} 732.11 + 6.3 \\ \hline 760.00 \end{array}$$

do addition (subtraction) **first**

$732.11 + 6.3 = 738.41$ (738.4) **NEVER** round
2 decimal place 1 decimal place intermediate results for
multistep calculations

do division (multiplication) **last**

$$\begin{array}{r} 738.4 \\ \hline 760.00 \end{array} \begin{array}{l} 4 \text{ sig fig} \\ 5 \text{ sig fig} \end{array} = \frac{738.41}{760.00} = 0.971592105$$

(Not to be recorded as the answer)

Answer: 0.9716 (4 sig fig)

Precision vs. Accuracy of Calculated Results

Precision

- ❖ reproducibility
- ❖ check by repeating measurements
- ❖ poor precision results from poor technique.

Accuracy

- ❖ correctness
- ❖ check by using a different method
- ❖ poor accuracy results from procedural or equipment flaws.

Precision = reproducibility



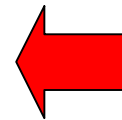
How much of a clone are you?

Accuracy = Closeness of measured value to standard value

Standard values

Sugar content: 54 grams

pH: 2.6



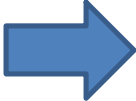
How do **you** measure up?

Dimensional Analysis

A problem-solving method that uses the fact that any number or expression can be multiplied by one without changing its value.

Unit factors may be made from any two terms that describe the same or equivalent "amounts" of what we are interested in.

$$1 \text{ inch} = 2.54 \text{ centimeters}$$

Unit factors 

$\frac{1 \text{ inch}}{2.54 \text{ centimeters}}$	or	$\frac{2.54 \text{ centimeters}}{1 \text{ inch}}$
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Steps for Using Dimensional Analysis

Steps:

1. Identify what units are required, what units have been given.
2. State the equivalent of these units.
3. Multiply the given data and its units by the appropriate unit factors so that only the desired units are present at the end.

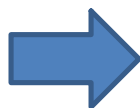
Example: How many centimeters are in 6.00 inches?

Units required: centimeters

Units given : inches

1 inch = 2.54 centimeters

Unit factors



$$\frac{1 \text{ inch}}{2.54 \text{ centimeters}} \quad \text{or} \quad \frac{2.54 \text{ centimeters}}{1 \text{ inch}}$$

$$? \text{ cm} = 6.00 \cancel{\text{ in}} \times \frac{2.54 \text{ cm}}{1 \cancel{\text{ in}}} = 15.2 \text{ cm (to 3 significant figures)}$$

Notice that the unit factor was chosen that allowed the **units required to remain while the other cancels** during the calculation.

Temperature Scales and Interconversions

Kelvin (K) - The "Absolute temperature scale"

At absolute zero and only has positive values.

Celsius (°C) - Commonly used scale around the world and in laboratories.

Fahrenheit (°F) - Commonly used scale in America for weather reports.

$$T (K) = T (°C) + 273.15$$

$$T (°F) = 9/5 T (°C) + 32$$

$$T (°C) = T (K) - 273.15$$

$$T (°C) = 5/9 T (°F) - 32$$

Density

Density is the mass per unit volume of a substance and has compound units of grams per cubic centimeter (g/cm^3)

Example: Calculate **the density** of an object that has a volume of 64 cm^3 and a mass of 34g .

Solution:

$$\text{Density} = \frac{\text{mass}}{\text{volume}}$$

$$\text{Density} = \frac{34\text{g}}{64\text{cm}^3} = 0.53\text{g}/\text{cm}^3$$

What is the mass, in grams, of 1.00 gallon of water ?

The density of water is 1 g/mL (1 ml of water = 1g)

Solution

Units given: gallon, g/ml

Units required: g

$$1 \text{ gal} = 4 \text{ qt}$$

$$1.057 \text{ qt} = 1 \text{ L}$$

$$1 \text{ L} = 1000 \text{ ml}$$

$$1 \text{ g} = 1 \text{ mL}$$

given



required

All equivalent values are EXACT numbers and do not limit the number of significant figures in the answer.

$$1.00 \text{ gal} \times \frac{4 \text{ qts}}{1 \text{ gal}} \times \frac{1 \text{ L}}{1.057 \text{ qts}} \times \frac{1000 \text{ mL}}{1 \text{ L}} \times \frac{1 \text{ g}}{1 \text{ mL}}$$

3 sig figs

$$= 3784.295 = 3780 \text{ g} = 3.78 \times 10^3 \text{ g}$$

calculator

3 sig figs